

## Stanford University 3D Vision Lab 3d.stanford.edu



Goal



Depth images at 30hz



Full 3D pose in real time

Given a sequence of depth images of a human subject, estimate the 3D locations of all joints in real time (shoulder, knee, etc.)

### **Potential Applications:**

Human-machine interaction, smart surveillance, ani-mation, virtual reality and motion analysis.

### **Probabilistic Model**







DBN

Kinematic chain  $z_t$ : Depth image

 $X_t$  Relative poses of all N body parts at time t

 $V_t$  First time derivative of pose

 $X^i$ Pose of part i relative to its parent

 $z_t$  Depth image at time t

transition model random State assumes accelerations and that the state is a deterministic function of velocity and the previous state:

$$V_t | V_{t-1} \sim \mathcal{N}(V_{t-1}, \Sigma) \qquad \qquad X_t^i = V_t^i X_{t-1}^i$$

Sensor model assumes that the range scan is generated by ray casting. Each pixel k is therefore conditionally independent given the pose and mesh.

$$P(z_t|X_t, m) = \prod_k P(z_t^k|X_t, m)$$

The depth at pixel k is generated by rendering a skinned mesh to calculate the true distance z\*

Smooth likelihood by allowing the ray to hit a neighboring pixel in rendered depth scan.

Likelihood can be evaluated efficiently on a GPU by using shaders for differencing the measured and rendered pose. Use glGeneratedata MipMaps for computing the average pixel error.

Large batches of pose hypotheses are evaluated simultaneously using the GPU. **Body Part Detection** Extract interest points from the surface mesh and

# **GPU Accelerated Marker-less Motion Capture**

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### Inference

**Objective:** Find the body pose that maximizes the posterior likelihood of the observed depth images:  $\operatorname{argmax}_{X_{t},V_{t}} \log P(z_{t}|X_{t},V_{t}) + \log P(X_{t},V_{t}|\hat{X}_{t-1},\hat{V}_{t-1})$ 

Challenge: High-dimensional state (48 DoF) and non-linear, noisy dependencies; Real-time constraints.

Our **Approach:** GPU-accelerated local hill climbing in model space + integration of body part detections to track fast and difficult motions.

**Evidence Propagation** 

### Local Hill Climbing

Starting from the root of the kinematic chain, we sample perturbations to the state. For each dimension, we sample using a coarse grid of joint angle perturbations, followed by a finer sampling.

assign body part labels [Plagemann et al., ICRA 2010].

Class label, one of { head, hand, foot }  $\tilde{\mathbf{p}}_j$  3d location List of part detection candidates  $\{\mathbf{p}_{i}, c_{j}\}$ 



Auxiliary probabilistic model relating associated detections to the state:



**Problem:** pi ~ X is heavily non-linear. The location of a vertex p<sub>i</sub> is a function of the part it is located in and the pose of the part. W<sup>i</sup> the pose of part i a product of the poses of its ancestors:

**Our Solution:** Apply the unscented transform to linearize about the current state. This results in a linear Gaussian network, in which MAP inference is easy. The procedure can be repeated until convergence.

**Problem:** Detections consist only of location and class. How to associate detections to model vertices, and reject false detections? Exponential # of possibilities!

**Our Solution:** Prune associations explained by current estimate. Consider associations one at time and accept those that improve the likelihood when integrated using EP.

- - (a) Let X' be the posterior mode of evidence propagation initialized from  $X^{\text{best}}$  conditioned on  $c^i$
  - (b) Update X' by local hill-climbing on likelihood
  - (c) if likelihood of  $X' > X^{\text{best}}$ , set  $X^{\text{best}}$  to  $X_c$

### Sebastian Thrun Daphne Koller

### **Evidence Propagation**

Integrate body part detections into the set of pose hypotheses.

- $\longrightarrow (X_{t-1}) \longrightarrow (X_t)$  $(p_i) \rightarrow (\widetilde{p}_j)$
- $\mathbf{p}_i$  position of model vertex as a function of pose
- $\tilde{\mathbf{p}}_j$  corresponding body part

 $\tilde{\mathbf{p}}_{i} \sim \mathcal{N}\left(\mathbf{p}_{i}(X), \Sigma_{o}\right)$ 

$$W^i(X) = X^1 \cdots X^{\operatorname{parent}(i)} X^i$$

### **Data Association**

### **Complete Algorithm**

1. Update  $X^{\text{best}}$  by local hill-climbing on the likelihood

2. Extract part detections from  $z_t$ 

Prune hypotheses that are already explained

4. Produce N correspondences  $\{(\mathbf{p}_i, \tilde{\mathbf{p}}_i)\}$  by expanding hypotheses

5. Loop i = 1 to N











Figure 6. A typical situation in which data-driven evidence is crucial for tracking success (excerpt from Seq. 27). Left: Three exemplary frames from the Tennis sequence. Model-Based search (top row) loses track of the tennis swing, since the arm was occluded. Our combined tracker that integrates bottom-up evidence about body parts (bottom row) is able to recapture the fast moving arm. The right diagram shows the same situation in terms of actual tracking error (see text).

With the hybrid generative /discriminative GPUaccelerated filtering approach introduced in this paper, we believe to have made a large step forward, but there remain more challenges to overcome.

Some examples include cluttered scenes, multiple people, automatic model initialization, improved speed and robustness. Extremely fast motions remain difficult to track with current sensors.



### Experiments

### Dataset

28 sequences of various difficulty. We simultaneously recorded marker location traces use an active marker system along with frames of depth data at 25 FPS using the SR4k. Sample frames:

Figure 5. Tracking results on real-world test sequences, sorted from most complex (left) to least complex (right).

### Conclusion